

In-class Exercise 6

(PAR 10)

- Use Simulated Annealing to find the minimum cover for the same constraint matrix
 - Assume a linear cooling schedule where the start temperature is initialized to 100 and decrease by 25 after each iteration
 - Assume the random numbers generated in each iteration are $r_0 = 0.520$, $r_1 = 0.287$, $r_2 = 0.150$, $r_3 = 0.552$
 - You may choose the random neighbor selected in each iteration of the algorithm

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15			X	X		

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- How do we apply to the minimum cover problem?

1. Choose an initial solution, set an initial temperature

2. Is temperature $T > 0$? Yes

3. Make a random change to S

What can we change?

- Adding another prime implicant to our cover
- Removing a prime implicant from the current cover ✓ Remove P2

4. Determine cost difference

$$C = \text{cost of } S - \text{cost of } S'$$

$$C = 5 - 4 = 1$$

We should also consider if this solution is correct. (Yes)

a) Is the solution better? Yes.

Keep new solution

6. Decrease Temperature

$$T = T - 25 = 75$$

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15			X	X		

$$S = \{P1, P2, P4, P5, P6\}$$

$$T = 100 - 25 = 75$$

$$S' = \{P1, P4, P5, P6\}$$

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2. Is temperature $T > 0$? Yes

3. Make a random change to S

What can we change?

- Adding another prime implicant to our cover **✓ Add P3**
- Removing a prime implicant from the current cover

4. Determine cost difference

$$C = \text{cost of } S - \text{cost of } S'$$

$$C = 4 - 5 = -1$$

We should also consider if this solution is correct. (Yes)

a) Is the solution better? No.

b) Should we randomly accept it anyways?

$$r = 0.287 \text{ (random number), } m = 1/e^{-1/75} = 0.987$$

$$0.287 < 0.987? \text{ Yes. Keep new solution}$$

7. Decrease Temperature

$$T = T - 25 = 50$$

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15				X	X	

$$S = \overline{P1} \overline{P4} \overline{P5} \overline{P6}$$

$$T = \overline{25} < 50$$

$$S' = P1, P3, P4, P5, P6$$

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1. Is temperature $T > 0$? Yes

2. Make a random change to S

What can we change?

- Adding another prime implicant to our cover
- Removing a prime implicant from the current cover **✓ Remove P6**

3. Determine cost difference

$$C = \text{cost of } S - \text{cost of } S'$$

$$C = 5 - 4 = 1$$

We should also consider if this solution is correct. (NO!)

5. Decrease Temperature

$$T = T - 25 = 25$$

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15				X	X	

$$S = P1 \ P3 \ P4 \ P5 \ P6$$

$$T = \overline{50} < 25$$

$$S' = P1, P3, P4, P5$$

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1. Is temperature $T > 0$? Yes

2. Make a random change to S

What can we change?

- Adding another prime implicant to our cover
- Removing a prime implicant from the current cover ✓ **Remove P5**

3. Determine cost difference

$$C = \text{cost of } S - \text{cost of } S'$$

$$C = 4 - 3 = 1$$

We should also consider if this solution is correct. (Yes)

a) Is the solution better? Yes.

Keep new solution

5. Decrease Temperature

$$T = T - 25 = 0$$

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15				X	X	

S = ~~P1 P3 P4 P5 P6~~

T = ~~25~~ 0

S' = P1, P3, P4, P6

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1. Is temperature $T > 0$? No

Done!

Solution : P1, P3, P4, P6

	P1	P2	P3	P4	P5	P6
m4	X	X				
m5	X		X			
m7			X	X		
m12		X				X
m14					X	X
m15				X	X	

S = P1 P3 P4 P6

T = 0

- Is this solution optimal?
 - No
- Ideally, this algorithm would run longer so we can explore more of the solution space and possibly find a better solution

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